

# Effets quantiques dans des champs gravitationnels forts.

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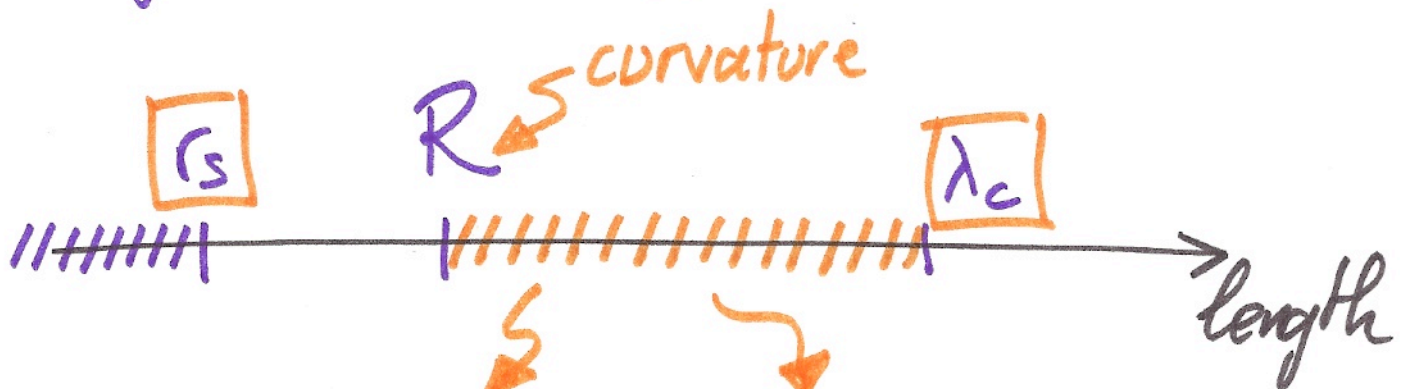
- R. Parentani (LPT, Orsay)
- F. Gautier (T.U.M, München)
- M. Guilleux (APC)

# QUANTUM PHYSICS & GRAVITATION

⇒ Quantum gravity : 

distances  $\lesssim \lambda_c = \frac{\hbar}{mc}$  ;  $r_s = \frac{Gm}{c^2}$   
(Compton wavelength) (Schwarzschild radius)

⇒ Quantum dynamics in classical gravitational fields



Unruh-Hawking radiation from black holes

Amplification of density perturbations during inflation

⇒ (Quantum) Particle production by gravitational field

# Gravitationally induced quantum effects

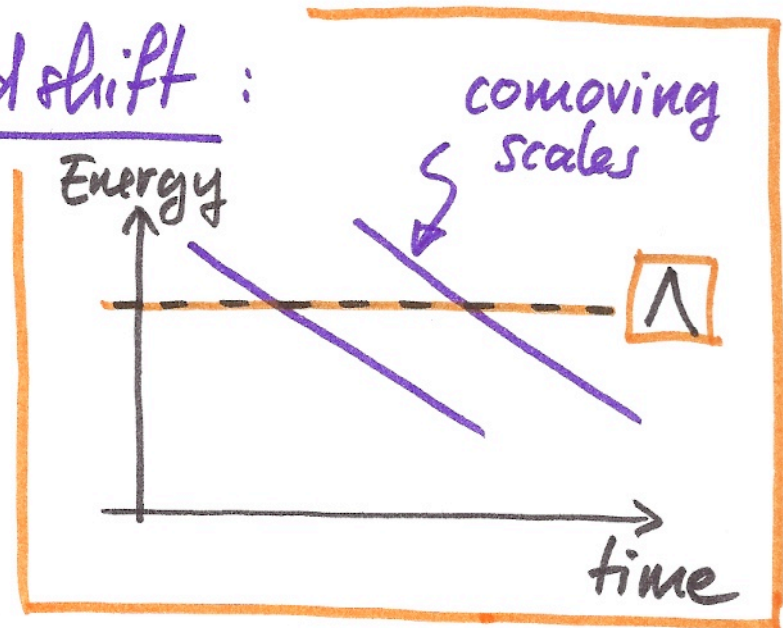
Specific effects  $\Rightarrow$  specific questions

## ▣ Gravitational redshift:

Trans-Planckian  
(decoupling) issue

Validity of  
effective theories

(QFT in curved spacetimes)



## ▣ Gravitational particle production

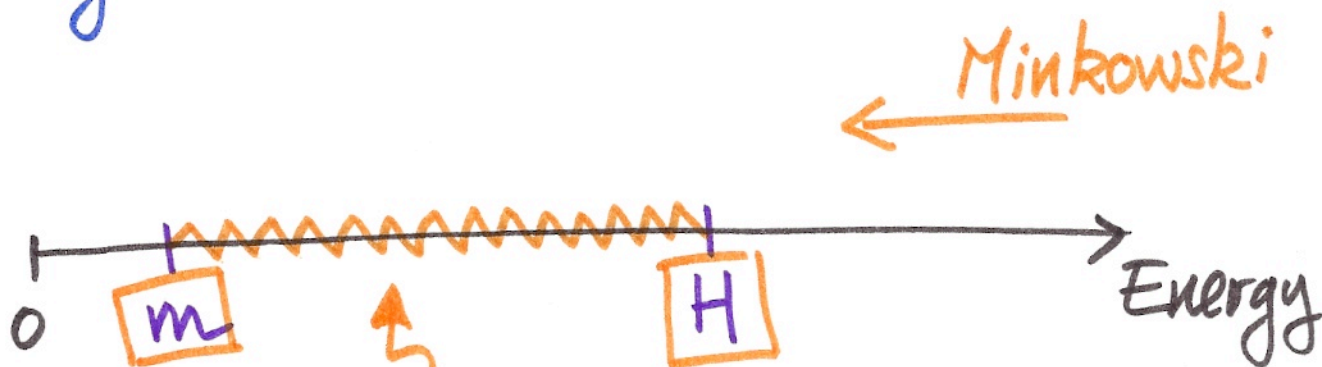
Infrared / secular effects

Understanding of genuine quantum  
(loop) corrections

## ▣ Foundations of QFT in curved spaces

# QFT in de Sitter spacetime

quantum corrections to inflationary dynamics and observables.



Specific, gravitationally induced effects

The perturbative series (loops) is plagued by infrared/secular divergences

example " $\lambda\phi^4$ "-theory

$$\mathcal{Q} \sim \frac{\lambda H^4}{m^2}$$

$$; \text{P} \text{ (loop diagram) } \sim \lambda^2 H^2 \ln P/H$$

NEED FOR RESUMMATIONS.

# RESUMMATION TECHNIQUES

Flat space :

▣ Infrared divergences

↳ QED ; high temperatures ; phase transitions ...

▣ Secular divergences

↳ Nonequilibrium systems



$1/N$ -expansion ; Schwinger-Dyson equations ; Renormalization group ; two-particle-irreducible techniques ...

Generalization to  $dS$  space:

difficulty : grav. redshift / absence of time-translation invariance



P-representations of correlators

[Parentani, Serreau (PRD-2013)]

# Radiative symmetry restoration in de Sitter space

[J. Serreau, PRL (11) ; PLB (14)]

$O(N)$  theory :

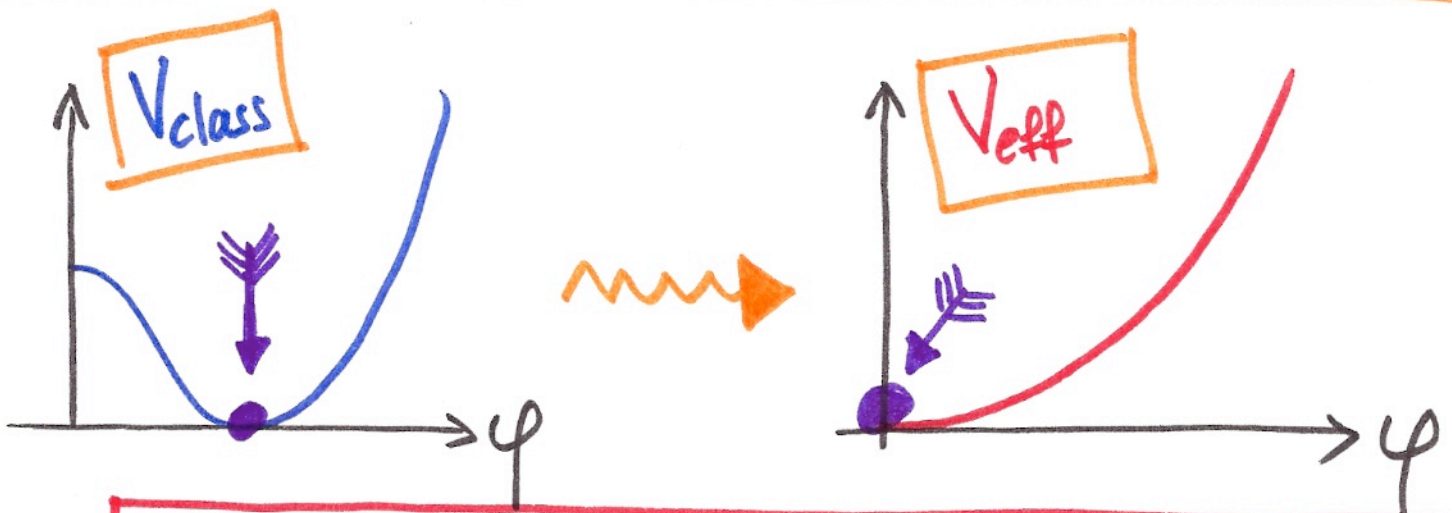
$$S = - \int d^D x \sqrt{-g} \left\{ \frac{1}{2} g^{\mu\nu} \partial_\mu \vec{\varphi} \cdot \partial_\nu \vec{\varphi} + V_{\text{class}}(\vec{\varphi} \cdot \vec{\varphi}) \right\}$$



QUANTUM CORRECTIONS

(e.g. large- $N$  limit)

$$\Gamma = - \int d^D x \sqrt{-g} \left\{ \frac{1}{2} g^{\mu\nu} \partial_\mu \vec{\varphi} \cdot \partial_\nu \vec{\varphi} + V_{\text{eff}}(\vec{\varphi} \cdot \vec{\varphi}) \right\}$$



Strong, gravitationally induced infrared quantum fluctuations restore the symmetry in any dimension  $D$  !!

# RESULTS and PROSPECTS

## Exact solution of Schwinger-Dyson eqs.

→ resummation of IR divergences and calculation of field correlators in the deep infrared [F. Gautier, JS, PLB ('13)]

Large- $N$  limit → Nonperturbative quantum contributions to non-Gaussian correlators [JS, PLB ('14)]

Nonperturbative renormalization group [JS, PLB ('14) + Maxime Guilleux's thesis]

→ Correlators beyond large- $N$ :  $1/N$  corrections

→ Decoherence during inflation

→ Application to (analog) Black Holes